



# Strength of tungsten triboride under pressure up to 86 GPa from radial X-ray diffraction



Lun Xiong<sup>a,\*</sup>, Jing Liu<sup>a,\*</sup>, Ligang Bai<sup>a</sup>, Chuanlong Lin<sup>a</sup>, Duanwei He<sup>b</sup>, Xinxin Zhang<sup>c</sup>, Jung-Fu Lin<sup>d</sup>

<sup>a</sup> Institute of High Energy Physics, Chinese Academy of Sciences, Beijing 100049, PR China

<sup>b</sup> Institute of Atomic and Molecular Physics, Sichun University, Chengdu 610065, PR China

<sup>c</sup> State Key Lab of Superhard Materials, Jilin University, Changchun 130012, PR China

<sup>d</sup> Department of Geological Sciences, Jackson School of Geosciences, The University of Texas at Austin, TX 78712, USA

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## ABSTRACT

The strength of tungsten triboride (WB<sub>3</sub>) was determined under nonhydrostatic compression up to 86 GPa using an angle-dispersive radial X-ray diffraction technique in a diamond-anvil cell (DAC). Analyze of diffraction data using lattice strain theory indicate that the ratio of differential stress to shear modulus ( $t/G$ ) changes from 0.004 at ambient conditions to 0.078 at 86 GPa. Together with theoretical results on the high-pressure shear modulus, our results here show that WB<sub>3</sub> under uniaxial compression can support a differential stress of 26 GPa when it starts to yield to the plastic deformation at 40 GPa. The yield strength of WB<sub>3</sub> increases with increasing pressure, reaching a maximum value of 30 GPa at 77 GPa. By comparison, we find that the high-pressure strength of WB<sub>3</sub> is comparable to those of  $c$ -BC<sub>2</sub>N, B<sub>6</sub>O, and  $\gamma$ -Si<sub>3</sub>N<sub>4</sub>.

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## 1. Introduction

Many experimental and theoretical studies on boron-tungsten system (WB<sub>x</sub>) have suggested that tungsten tetraboride (WB<sub>4</sub>) is potentially a superhard material [1,2]. Gu et al. [1] synthesized the compounds formed by transition metals (TMs) and B, and measured their Vickers hardness ( $H_v$ ) by microindentation tests. The obtained hardness values of WB<sub>4</sub> are 46.2(1.2) GPa and 31.8(1.2) GPa under applied loads of 0.49 N and 4.9 N, respectively. Subsequently, Wang et al. [2] calculated the hardness values of WB<sub>4</sub> to be 41.1–42.2 GPa, consistent with Gu et al. [1], and they [2] pointed out that WB<sub>4</sub> has an ultra-low compressibility with the bulk modulus between 292.7–324.3 GPa. The early works suggested that WB<sub>4</sub> is a potential superhard material and has an ultra-low compressibility. Successively, Mohammadi et al. [3] also measured the hardness by microindentation method as 43.3(2.9) GPa and 28.1(1.4) GPa under an applied load of 0.49 N and 4.9 N, respectively, and reported a bulk modulus  $K_0 = 339(3)$  GPa at ambient conditions, for WB<sub>4</sub> from high-pressure X-ray diffraction (XRD) up to 30 GPa in a DAC with neon as the pressure medium. Liu et al. [4] performed the high-pressure XRD of WB<sub>4</sub> up to 51 GPa with silicone oil as the pressure medium

and obtained  $K_0 = 325(9)$  GPa with  $K'_0 = 5.1(0.6)$ . Both  $K_0$  and  $K'_0$  are defined in the Birch-Monaghan equation of state (EoS). Xie et al. [5] measured the compression behavior of WB<sub>4</sub> with neon as the pressure medium up to 59 GPa and obtained  $K_0 = 369(9)$  GPa with  $K'_0 = 1.2(0.5)$  by fitting the data at pressures lower than 42 GPa. Xiong et al. [6] reported a bulk modulus  $K_0 = 319(5)$  GPa with  $K'_0 = 4.1(0.2)$  at  $\psi = 54.7^\circ$  by fitting the radial X-ray diffraction (RXD) nonhydrostatic compression data to 86 GPa.

However, subsequent theoretical studies indicated that the structure of WB<sub>4</sub> is unstable and the previously believed WB<sub>4</sub> is in fact WB<sub>3</sub> [7,8]. Liang et al. [7] evaluated the structure stability of WB<sub>x</sub> from first principles, and questioned the stability of WB<sub>4</sub> for the first time. They reported that long-believed WB<sub>4</sub> is actually WB<sub>3</sub> because their Gibbs energy shows that the WB<sub>3</sub> is thermodynamically stable and WB<sub>4</sub> is not. Subsequently, Liang et al. [9] reported that WB<sub>3</sub> is superhard due to its three-dimensional covalent network consisting of boron honeycomb planes interconnected with strong zigzag W–B bonds. Liang et al. [9] calculated the Vickers hardness of WB<sub>4</sub> (16.8 GPa) and WB<sub>3</sub> (43.1 GPa) using the linear correlation existing between the Vickers hardness and shear modulus for many of the known hard materials and superhard materials. They obtained the Vickers hardness of WB<sub>4</sub> (6.8 GPa) and WB<sub>3</sub> (39.4 GPa) from theoretical calculation using Chen's model of hardness. The hardness of WB<sub>4</sub> (16.8 GPa, 6.8 GPa) is ~39% of WB<sub>3</sub> (43.1 GPa, 39.4 GPa). Zhang et al. [8]

\* Corresponding authors.

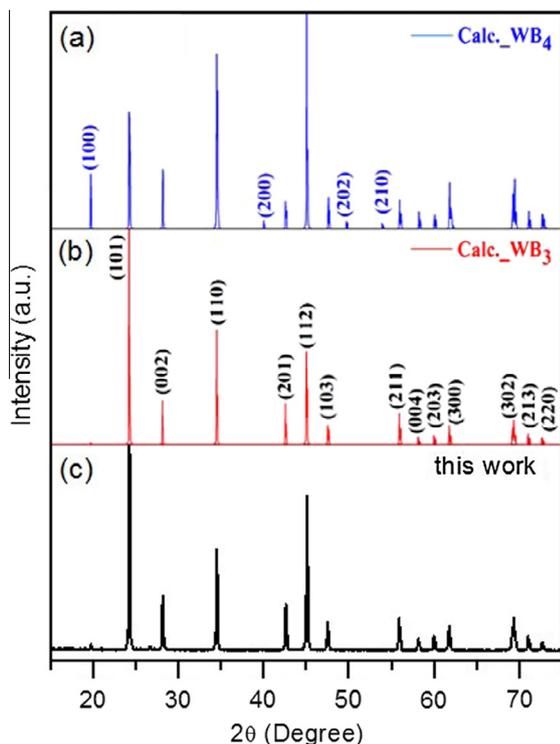
E-mail addresses: [xionglun@ihep.ac.cn](mailto:xionglun@ihep.ac.cn) (L. Xiong), [liuj@ihep.ac.cn](mailto:liuj@ihep.ac.cn) (J. Liu).

compared experimental and theoretically calculated XRD patterns between  $WB_4$  and  $WB_3$ , along with the thermodynamic, mechanical, and phonon instabilities of  $WB_4$  using density functional theory. They denoted that  $WB_4$  with a three-dimensional boron network is identified as  $WB_3$  with two-dimensional boron nets. In addition, they suggested that  $WB_3$  may not be an intrinsically superhard material due to its much lower ideal shear strengths compared with the superhard material of  $c$ -BN. Zang et al. [10] calculated the stress–strain relation and the ideal strength of  $WB_3$  using the first-principles, leading the authors to conclude that the Vickers hardness of  $WB_3$  should be well below that of  $ReB_2$ , which implies that  $WB_3$  cannot be a superhard material. Li et al. [13] examined tungsten borides using a recently developed global structural optimization approach and identified the thermodynamically stable structures. They reported that comparison of experimental and simulated X-ray diffraction patterns leads to the identification of  $P6_3/mmc$ - $4u$   $WB_3$ , while  $R\bar{3}m$ - $6u$   $WB_3$  is thermodynamically stable and thus viable for experimental synthesis. These studies indicate that  $WB_4$  is unstable and leaves the issue of whether or not  $WB_3$  is a superhard material under debate.

Despite several theoretical calculations for  $WB_3$ , there are no direct experimental measurements. There are different opinions regarding whether  $WB_3$  is a superhard material. Previous studies have shown that the hardness of materials has some relationship with strength which reflects the contributions of both plastic and elastic deformation. In this study, we have investigated the strength of  $WB_3$  to 86 GPa under nonhydrostatic compression using radial X-ray diffraction (RXD) in diamond-anvil cell.

## 2. Experimental details

The  $WB_3$  powder was synthesized in a DS6\*8MN cubic press [14] at high-pressure and temperature conditions. The synthesized  $WB_3$  sample possesses an average grain size of 0.5–1  $\mu\text{m}$  determined via scanning electron microscopy



**Fig. 1.** Representative powder X-ray diffraction pattern for tungsten triboride ( $WB_3$ ) at ambient conditions ( $\lambda = 1.5406 \text{ \AA}$ ). The XRD pattern is in agreement with Zhang et al. [8]. The corresponding Miller indices are noted for each peak. X-ray wavelength  $\lambda = 1.5406 \text{ \AA}$ .

(SEM). Fig. 1 displays the XRD pattern of the synthesized  $WB_3$  and simulated patterns for  $WB_4$  and  $WB_3$  reported by Zhang et al. [8]. It can be seen that the XRD pattern of synthesized sample matches much better with that of the simulated  $WB_3$  from Zhang et al. [8]. The measured XRD pattern shows the highly crystalline and pure phase. At ambient conditions, the synthesized  $WB_3$  has a hexagonal structure (space group  $P6_3/mmc$ , see Fig. 2) with lattice parameters  $a = 5.199(0.001) \text{ \AA}$  and  $c = 6.347(0.001) \text{ \AA}$ .

A twofold panoramic DAC with a pair of beveled diamond anvils (150  $\mu\text{m}$  culet diameter) was used to exert uniaxial compression on both the  $WB_3$  sample and Mo standard in the RXD measurements. A beryllium gasket was pre-indented to  $\sim 25$ - $\mu\text{m}$  thickness at  $\sim 20$  GPa and a hole of 50- $\mu\text{m}$ -diameter was drilled in the center of the preindented area for use as a sample chamber. Special attention was paid to make sure that the sample hole was well centered with respect to the anvil culet. The  $WB_3$  sample was loaded into the gasket hole and a piece of Mo flake with a diameter of  $\sim 20 \mu\text{m}$  was placed on top within 5  $\mu\text{m}$  of the sample center serving as a pressure standard [15] as well as the positioning reference for X-ray diffraction. No pressure-transmitting medium was used to ensure maximum nonhydrostatic stresses. By design, the DAC was tilted at an angle of  $28^\circ$  to minimize the contribution of Be diffraction to the sample patterns [16]. Angle-dispersive radial X-ray diffraction experiments were performed at the 4W2 beam line of Beijing Synchrotron Radiation Facility (BSRF), Chinese Academy of Sciences. A Si(111) monochromator was used to tune the synchrotron source to a wavelength of 0.6199  $\text{\AA}$ , and the incident monochromatic X-ray beam was focused by a pair of Kirkpatrick-Baez mirrors to an approximately  $26(\text{vertical}) \times 8(\text{horizontal}) \mu\text{m}^2$  spot of full width at half maximum (FWHM) and directed through the Be gasket and the sample. Two-dimensional diffraction patterns were collected by a Mar345 image plate detector and analyzed with the program Fit2D [17]. The sample-to-detector distance and orientation of the detector were calibrated by a  $\text{CeO}_2$  standard. At each pressure, the RXD pattern was collected typically for 15–20 min after about 30 min of stress relaxation.

## 3. Theory

The radial X-ray diffraction data was analyzed using the lattice strain theory developed by Singh and co-workers [18,19]. According to the lattice strain theory, the measured  $d$ -spacing  $d_m(hkl)$  is a function of the azimuthal angle  $\psi$  between the DAC loading axis and the diffraction plane normal ( $hkl$ ), and can be calculated using the relation as

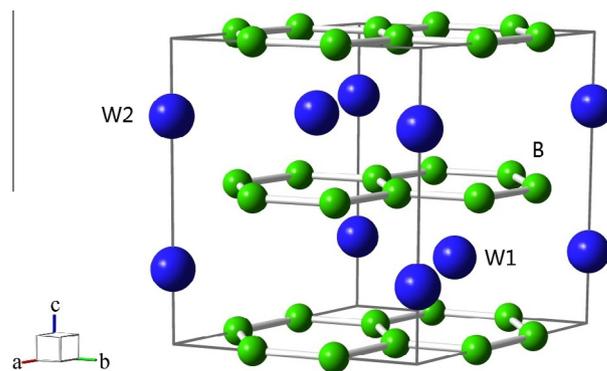
$$d_m(hkl) = d_p(hkl)[1 + (1 - 3 \cos^2 \psi)Q(hkl)] \quad (1)$$

where  $d_m(hkl)$  is the measured  $d$ -spacing,  $d_p(hkl)$  is the  $d$ -spacing under the equivalent hydrostatic pressure, and  $Q(hkl)$  is the orientation dependent lattice strain.

Under isostress conditions (the Reuss limit), the differential stress,  $t$ , can be expressed as

$$t = 6G\langle Q(hkl) \rangle \quad (2)$$

where  $\langle Q(hkl) \rangle$  represents the  $Q$  value averaged over all observed reflections of  $Q(hkl)$ , and  $G$  is the aggregate shear modulus of the polycrystalline sample. The pressure dependence of  $G$  can be obtained from extrapolation of ultrasonic or theoretically calculated single-crystal elastic constants. If the differential stress  $t$  has reached the limiting value of yield strength at high pressures when



**Fig. 2.** Crystal structure of  $WB_3$ .

materials start to deform plastically,  $6(Q(hkl)) = t/G$  will reflect the ratio of yield strength to shear modulus. In addition, this ratio might be a good qualitative indicator of hardness as it reflects the contributions of both plastic and elastic deformation [20].

Eq. (1) indicates that the  $d_m(hkl)$  vs  $(1-3\cos^2\psi)$  plot is a straight line for given  $d_p(hkl)Q(hkl)$ , and its slope,  $d_p(hkl)Q(hkl)$ , is directly related to  $t/G = 6(Q(hkl))$ .  $d_p(hkl)$  is normally at  $\psi = 54.7^\circ$ . With additional, independent constraints on the high-pressure shear modulus, the differential stress or yield strength at high pressure can be determined.

For the conventional RXD experiments, the incident X-ray beam is perpendicular to the compression axis and passes through a Be gasket which contributes intense diffraction lines to the sample patterns. Thus, we can tilt the DAC to an angle of  $\alpha$  between the compression axis and the incident X-ray to minimize the Be contribution to the sample patterns ( $\alpha = 28^\circ$ ) [16]. In this geometry,  $\psi$  in Eq. (1) can be rewritten as [21]

$$\cos \psi_{hkl} = \sin \alpha \cos \delta \cos \theta_{hkl} + \cos \alpha \sin \theta_{hkl} \quad (3)$$

where  $\theta$  is the diffraction angle and  $\delta$  is the azimuthal angle in the plane of the detector.

#### 4. Results and discussion

The RXD diffraction patterns are integrated over each azimuthal sector with a  $5^\circ$  interval using Fit2D [17] for data analyzes. The program Multifit 4.2 is used to perform macro decomposition of the 2D diffraction images into azimuthal slices within Fit2D [17], yielding one-dimensional plots of X-ray intensity as a function of  $2\theta t$ , as well as peak positions, intensities, and FWHM of the diffraction peaks. To determine the variation of the diffraction peak positions with  $\delta$ , we integrated the diffraction patterns with segments of  $5^\circ$  in the azimuth angle, in the range of  $180\text{--}270^\circ$ , and fit peak positions. RXD spectra of  $\text{WB}_3$  were collected up to an equivalent pressure of 86 GPa, where pressures were derived from the EoS of Mo [15] with the unit cell volume obtained from  $d_p(110)$  of Mo at  $\psi = 54.7^\circ$ .

The plots of  $d$ -spacing as a function of  $1-3\cos^2\psi$  for selected diffraction peaks of  $\text{WB}_3$  at 45 GPa are shown in Fig. 3. As expected from the lattice strain theory [18,19],  $d$ -spacing for all diffraction peaks shows a linear relationship with  $1-3\cos^2\psi$ . The (101) peak of  $\text{WB}_3$  exhibits a slope that is about twice as great as that of the (201) peak, indicating that the (201) peak is more sensitive to nonhydrostatic stresses compared to the (101) peak.

According to Eq. (1), the orientation dependent lattice strain  $Q(hkl)$  can be derived from the slope of the linear relationship between the observed  $d$ -spacing and  $1-3\cos^2\psi$ . The ratio of  $t/G$  was obtained from the averaged value of  $Q(hkl)$  over all observed reflections. Fig. 4 displays  $t(hkl)/G$  as a function of  $\text{WB}_3$  pressure. The large variations for different lattice planes are due to differences in stress levels for different lattice orientations and are an indication of high elastic anisotropy in the material.  $t(002)/G$  is the largest at nearly double the smallest ratio,  $t(101)/G$ . For  $\text{WB}_3$ , the ratio of  $t/G$  ranges from 0.004 to 0.076 at pressures of 1–86 GPa with an average value of 0.051. High  $t/G$  values of  $\text{WB}_3$  indicate that  $\text{WB}_3$  may serve as a structural template for designing superhard materials. The ratio of  $t/G$  remains almost unchanged above  $\sim 40$  GPa, indicating that  $\text{WB}_3$  undergoes plastic deformation and  $t/G$  reaches its limiting value of 0.076 at this pressure. This ratio might be a good qualitative indicator of hardness as it reflects the contributions of both plastic and elastic deformation. In addition, the increase in  $t/G$  levels off after  $\sim 77$  GPa, suggesting that the local deviatoric stress is partially relaxed.

Together with the results of first-principles calculation on high-pressure shear modulus (Fig. 5), we obtained the differential stress

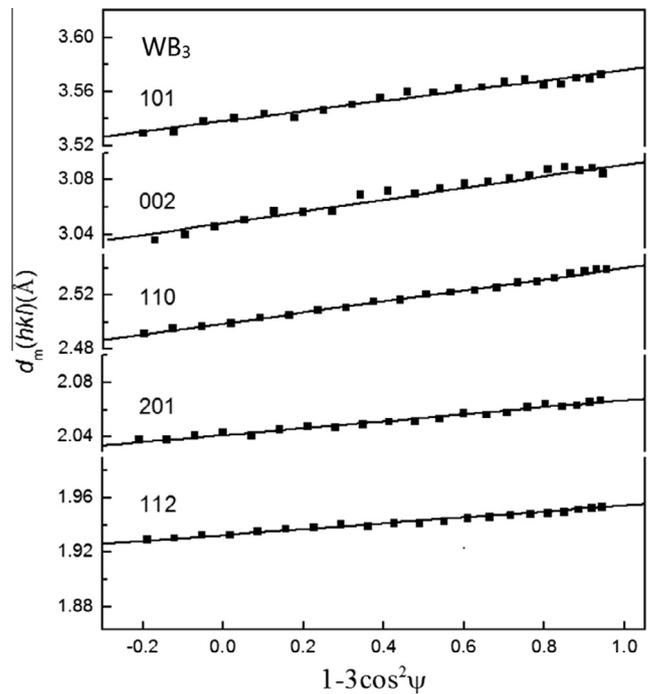


Fig. 3.  $d$  Spacings vs  $1-3\cos^2\psi$  for selected diffraction peaks of  $\text{WB}_3$  at 45 GPa. The solid lines are least-squares linear fits to the data. The pressures are determined from the Mo(110) peak at  $\psi = 54.7^\circ$ .

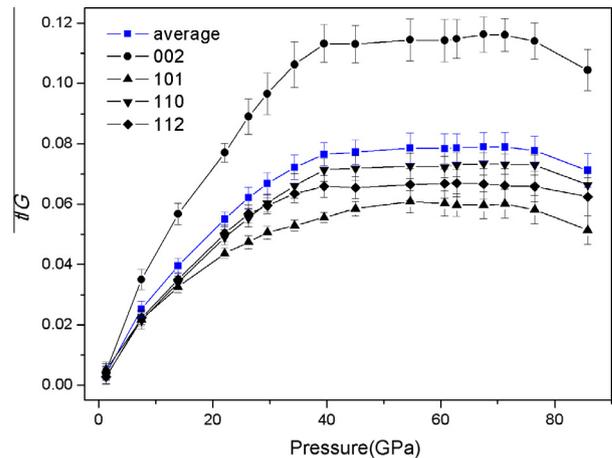


Fig. 4. Ratio of differential stress to shear modulus ( $t/G$ ) as a function of pressure for  $\text{WB}_3$ . The errors are estimated from the variations of  $d(hkl)$  vs  $1-3\cos^2\psi$ .

at each pressure step as  $t=6G(Q(hkl))$ . Fig. 6 compares differential stresses obtained for several reported superhard materials ( $c\text{-BC}_2\text{N}$  [22],  $\text{B}_6\text{O}$  [23],  $\gamma\text{-Si}_3\text{N}_4$  [24]) from RXD in the DAC. It can be seen that, the differential stress,  $t$ , increases slowly above  $\sim 40$  GPa, indicating that  $\text{WB}_3$  begins to experience macro yield with plastic deformation as  $t$  reaches its limited value (yield strength) of 25.5 GPa at this pressure. In addition, after  $\sim 77$  GPa, the differential stress begins to level off, and similar behaviors were observed for  $c\text{-BC}_2\text{N}$  [22].

At  $\sim 77$  GPa, differential stress as high as  $\sim 30$  GPa is supported by  $\text{WB}_3$ . For comparison, a differential stress of  $\sim 38$  GPa is supported by  $c\text{-BC}_2\text{N}$  [22] at  $\sim 66$  GPa,  $\text{B}_6\text{O}$  [23] supports a maximum differential stress of  $\sim 30$  GPa at a confining pressure of 65 GPa, and  $\gamma\text{-Si}_3\text{N}_4$  [24] reaches a maximum differential stress of 23 GPa at a pressure of 68 GPa. The differential stress of  $\text{WB}_3$  is very large

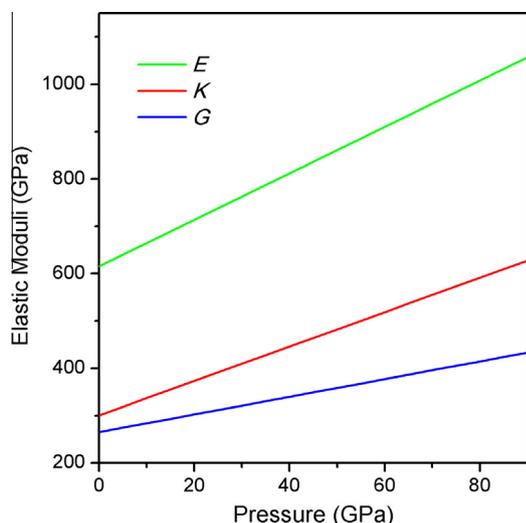


Fig. 5. Linear fits to the isotropic elastic moduli of  $WB_3$  as a function of pressure.

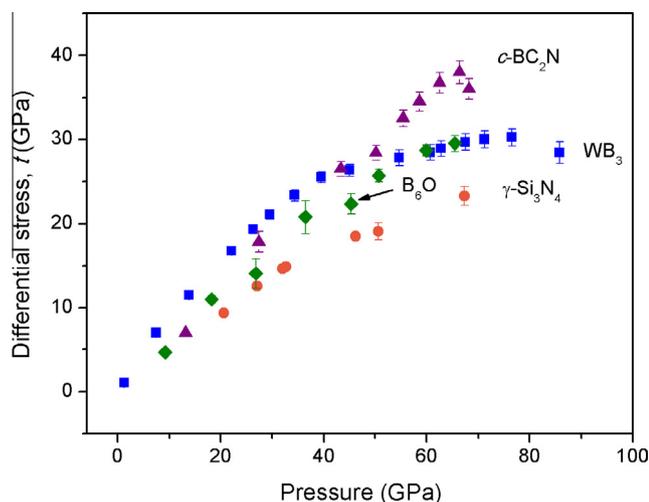


Fig. 6. Differential stress as a function of pressure for  $WB_3$ ,  $c\text{-}BC_2N$ ,  $B_6O$ , and  $\gamma\text{-}Si_3N_4$ .

due to its large  $t/G$  and large shear moduli. It can be seen that, the maximum differential stress in the pressure range studied of  $WB_3$  is close to that of  $B_6O$  [23], which is much larger than that of  $\gamma\text{-}Si_3N_4$  [24], but lower than that of  $c\text{-}BC_2N$  [22].

The differential stress of  $WB_3$  is even “higher” than that of  $c\text{-}BC_2N$ ,  $B_6O$ , and  $\gamma\text{-}Si_3N_4$  below 40 GPa, and it seems that  $WB_3$  is “harder” than these materials. However, the Vickers hardness should consider the maximum differential stress before yield [20], as well as grain size [25].  $WB_3$  experiences macro yield with plastic deformation at  $\sim 40$  GPa and sustains a differential stress of  $\sim 25.5$  GPa. For comparison,  $c\text{-}BC_2N$  begins to yield at a pressure of  $\sim 66$  GPa with a maximum differential stress of  $\sim 38$  GPa, and  $B_6O$  started to yield at nonhydrostatic compression of  $\sim 65$  GPa and differential stress reaches its limiting yield strength value of 29.5 GPa. For  $\gamma\text{-}Si_3N_4$ , the yield point is  $\sim 67$  GPa with a yield strength of  $\sim 23$  GPa. In addition, the strength of polycrystalline materials is also known to increase with decreasing grain size, and grain-size effects on high-pressure strength have been documented in previous RXD experiments [25]. Hence, grain-size effects on high-pressure strength should also be taken into account when comparing  $WB_3$  (microcrystalline),  $c\text{-}BC_2N$  [22] (nanocrystalline),  $B_6O$  (microcrystalline) [23] and  $\gamma\text{-}Si_3N_4$  (nanocrystalline)

[24]. The results probably indicate that the Vickers hardness of  $WB_3$  is lower than that of  $c\text{-}BC_2N$  ( $\sim 70$  GPa [29]),  $B_6O$ , (45 GPa [25]), and  $\gamma\text{-}Si_3N_4$  (35 GPa [26] and 43 GPa [27,28]).

Liang et al. [9] obtained a Vickers hardness of 39.4 GPa for  $WB_3$  from theory calculation using Chen’s model of hardness [15] and 43.1 GPa using the correlation [31] existing between the Vickers hardness and shear modulus. However, Zhang et al. [8] demonstrate that  $WB_3$  cannot be intrinsically superhard because of its much lower ideal strengths compared to  $c\text{-}BN$ . And Zang et al. [10] argue that the Vickers hardness of  $WB_3$  should be well below that of  $ReB_2$  (30.1 GPa [11], 26.6 GPa [1], and 18.4 GPa [12]) as calculating the stress–strain relation and the ideal indentation strength from first-principles shows that the calculated ideal indentation strength of  $WB_3$  is considerably lower than that of  $ReB_2$  via calculating the stress–strain relation and the ideal strength.

## 5. Conclusion

We have examined the strength of  $WB_3$  in a diamond anvil cell under nonhydrostatic compression up to 86 GPa at room temperature using radial X-ray diffraction together with the lattice strain theory. The differential stress of  $WB_3$  increases with pressure from 0.4% of the shear modulus at 1 GPa to 7.8% at 77 GPa. Given the theoretically calculated values for the shear modulus at high pressures, the supported differential stress ranges from 1 GPa at 1 GPa to 30 GPa at 77 GPa. The change of  $t$  with pressure indicates that  $WB_3$  starts to yield with plastic deformation and  $t$  reaches 26 GPa at a nonhydrostatic compression of  $\sim 40$  GPa. The increase in  $t$  with pressure reaches a maximum value of 30 GPa at  $\sim 77$  GPa. The differential stresses of  $WB_3$  are comparable to those of several reported superhard materials ( $c\text{-}BC_2N$ ,  $B_6O$ ,  $\gamma\text{-}Si_3N_4$ ).

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### Further reading

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